

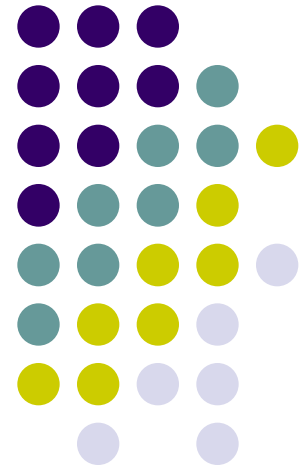
CS 460

Programming Languages

Fall 2021

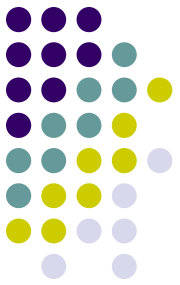
Dr. Watts

(4 October 2023)



Project 1

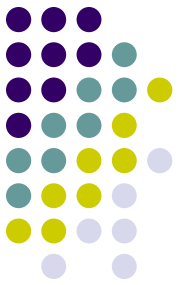
- Questions?



Exercise 2

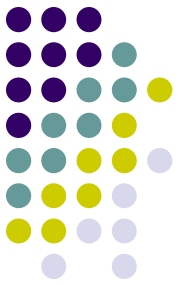
- Considering revisiting this as Exercise 5
- Issues
 - Testing
 - C++ input protocols
 - Modifying public section of class
 - Following the spec
 - RATS! : Read All The Spec!





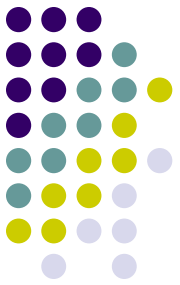
Data Types

- Collection of data values and a set of predefined operations on those values.
- User-defined - COBOL
- Abstract data types – Smalltalk - ALGOL
- Descriptor
 - Collection of the attributes of the variable
 - Amount and format of the memory associated with a variable



int storage?

- How many bits? => 32
- 1 bit for the sign
 - 1 => negative and 0 => positive
- 31 for the value
- 2^{31} patterns
- 000.....0 => 0
- 100.....0 => $-(2^{31})$
- $-(2^{31}) \Rightarrow 0 \Rightarrow 2^{31}-1$ 0111.....1 + 1 = $-(2^{31})$
- `for (int I = 1; I != 0; I++) cout << I << endl;`



Other integer types

- short => 8 bits
- int => 16 bits
- long int => 32
- Now all int is 32
- 8 bit integer => signed char
- 8 bit unsigned => unsigned char
- 64 bits => long long
- unsigned int (UINT) 0 to $2^{32}-1$

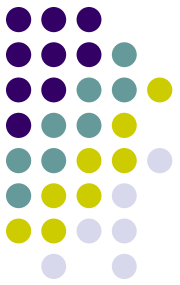
Converting Binary to Decimal



- $.1011_2 = ?_{10}$

- $1 \times 0.5 + 0 \times 0.25 + 1 \times 0.125 + 1 \times 0.0625$

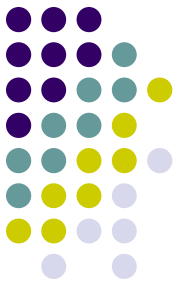
- Process?



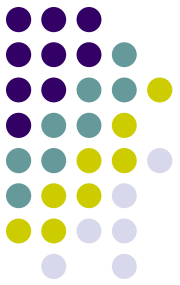
Practice

- $0.1_2 = ?_{10}$
- $0.01_2 = ?_{10}$
- $0.011011_2 = ?_{10}$

Converting Decimal to Binary



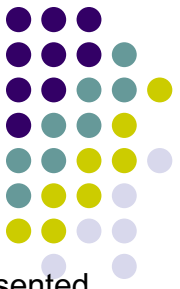
- $.375_{10} = ?_2 \Rightarrow .000375$ vs $.37500000$
- Process?



Practice

- $.0625_{10} = ?_2$
- $0.1_{10} = ?_2$
- $0.01_{10} = ?_2$

IEEE Single Precision (float 32)



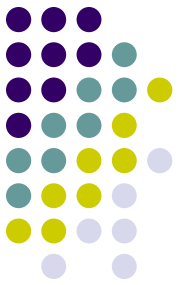
- The IEEE single precision floating point standard representation requires a 32 bit word, which may be represented as numbered from 0 to 31, left to right. The first bit is the sign bit, 'S', the next eight bits are the exponent bits, 'E', and the final 23 bits are the fraction 'F':

```

S  EEEEEEEE  FFFFFFFFFFFFFFFFFFFFFFFF
0  1          8  9          31

```

- The value V represented by the word may be determined as follows:
 - If E=255 and F is nonzero, then V=NaN ("Not a number")
 - If E=255 and F is zero and S is 1, then V=-Infinity
 - If E=255 and F is zero and S is 0, then V=Infinity
 - If $0 < E < 255$ then $V = (-1)^S * 2^{E-127} * (1.F)$ where "1.F" is intended to represent the binary number created by prefixing F with an implicit leading 1 and a binary point.
 - If E=0 and F is nonzero, then $V = (-1)^S * 2^{-126} * (0.F)$ These are "unnormalized" values.
 - If E=0 and F is zero and S is 1, then V=-0
 - If E=0 and F is zero and S is 0, then V=0
- In particular,
 - 0 00000000 000000000000000000000000 = 0
 - 1 00000000 000000000000000000000000 = -0
 - 0 11111111 000000000000000000000000 = Infinity
 - 1 11111111 000000000000000000000000 = -Infinity
 - 0 11111111 000001000000000000000000 = NaN
 - 1 11111111 0010001000100101010101010 = NaN
 - 0 10000000 000000000000000000000000 = $+1 * 2^{(128-127)} * 1.0 = 2$
 - 0 10000001 101000000000000000000000 = $+1 * 2^{(129-127)} * 1.101 = 6.5$
 - 1 10000001 101000000000000000000000 = $-1 * 2^{(129-127)} * 1.101 = -6.5$
 - 0 00000001 000000000000000000000000 = $+1 * 2^{(1-127)} * 1.0 = 2^{(-126)}$
 - 0 00000000 100000000000000000000000 = $+1 * 2^{(-126)} * 0.1 = 2^{(-127)}$
 - 0 00000000 000000000000000000000001 = $+1 * 2^{(-126)} * 0.000000000000000000000001$
= $2^{(-149)}$ (Smallest positive value)



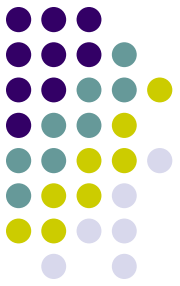
IEEE Double Precision (float64)

- The IEEE double precision floating point standard representation requires a 64 bit word, which may be represented as numbered from 0 to 63, left to right. The first bit is the sign bit, S, the next eleven bits are the exponent bits, 'E', and the final 52 bits are the fraction 'F':

S EEEEEEEEEEE FF
0 1 11 12 63

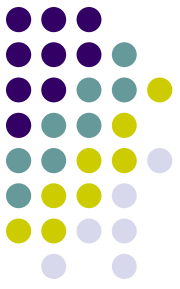
- The value V represented by the word may be determined as follows:
- If $E=2047$ and F is nonzero, then $V=\text{NaN}$ ("Not a number")
- If $E=2047$ and F is zero and S is 1, then $V=-\text{Infinity}$
- If $E=2047$ and F is zero and S is 0, then $V=\text{Infinity}$
- If $0 < E < 2047$ then $V = (-1)^S * 2^{(E-1023)} * (1.F)$ where "1.F" is intended to represent the binary number created by prefixing F with an implicit leading 1 and a binary point.
- If $E=0$ and F is nonzero, then $V = (-1)^S * 2^{(-1022)} * (0.F)$ These are "unnormalized" values.
- If $E=0$ and F is zero and S is 1, then $V=-0$
- If $E=0$ and F is zero and S is 0, then $V=0$

IEEE Quadruple Precision (float128)



- 1 bit sign
- 15 bit exponent
- 112 bit fraction

Half Precision (float16)

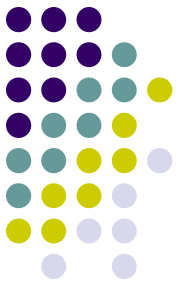


- Half precision floating point representation requires a 16 bit word, which may be represented as numbered from 0 to 15, left to right. The first bit is the sign bit, S, the next five bits are the exponent bits, 'E', and the final 10 bits are the fraction 'F':

```
S  EEEEE  FFFFFFFFFF
0  1     5 6           15
```

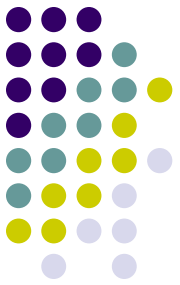
- The value V represented by the word may be determined as follows
- Sign
 - Sign = 0 is positive
 - Sign = 1 is negative
- Exponent
 - Biased
 - 00000 – 11111
- Fraction

Let's go the other way!



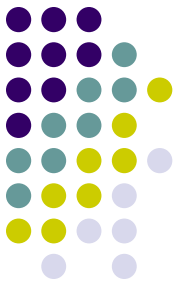
Position	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Bit value	1	1	0	0	1	1	0	0	1	1	0	0	1	1	0	0

Let's go the other way!



Position	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Bit value	1	1	0	1	1	1	0	0	1	1	0	0	1	1	0	1

Some Half-precision values



Binary	Hex	Value	Notes
0 00000 00000000000	0000	0	
0 00000 00000000001	0001	$2^{-14} \times (0 + \frac{1}{1024}) \approx 0.000000059604645$	smallest positive subnormal number
0 00000 11111111111	03ff	$2^{-14} \times (0 + \frac{1023}{1024}) \approx 0.000060975552$	largest subnormal number
0 00001 00000000000	0400	$2^{-14} \times (1 + \frac{0}{1024}) \approx 0.00006103515625$	smallest positive normal number
0 01101 0101010101	3555	$2^{-2} \times (1 + \frac{341}{1024}) \approx 0.33325195$	nearest value to 1/3
0 01110 11111111111	3bff	$2^{-1} \times (1 + \frac{1023}{1024}) \approx 0.99951172$	largest number less than one
0 01111 00000000000	3c00	$2^0 \times (1 + \frac{0}{1024}) = 1$	one
0 01111 00000000001	3c01	$2^0 \times (1 + \frac{1}{1024}) \approx 1.00097656$	smallest number larger than one
0 11110 11111111111	7bff	$2^{15} \times (1 + \frac{1023}{1024}) = 65504$	largest normal number
0 11111 00000000000	7c00	∞	infinity
1 00000 00000000000	8000	-0	
1 10000 00000000000	c000	-2	
1 11111 00000000000	fc00	$-\infty$	negative infinity

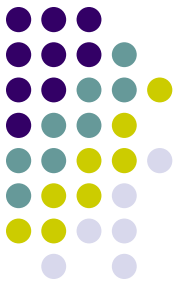
```
#include <iostream>
#include <iomanip>
#include <cmath>
using namespace std;

int main ()
{
    float value = 0;
    do
    {
        cout << "Please enter a floating point value (0 to quit): ";
        cin >> value;
        cout << "  value: " << fixed << showpoint << setprecision (30)
            << value << endl;
        float rounded = (round (value * 100)) / 100.0;
        cout << "rounded: " << fixed << showpoint << setprecision (30)
            << rounded << endl;
    } while (value != 0);
    return 0;
}
```



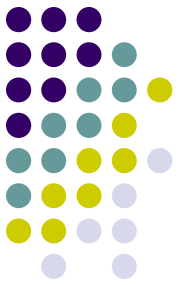
Other Numeric Types

- Arbitrary precision
- Fraction type
- User defined types

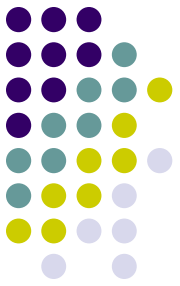


String types

- C style strings
- C++ strings



Composite Data Types



- Array
- Struct
- Class
- Union